



Information Flow Control by Program Analysis

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Context

Work in progress from a joint project with Gregor Snelting (KIT)
Information flow control for mobile components based on precise
analysis of parallel programs

Part of priority programme 1496
Reliably Secure Software Systems (RS³)
funded by DFG (German Research Foundation)

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What This Talk is About

Theme:

How can program analysis technology be used for information flow analysis?

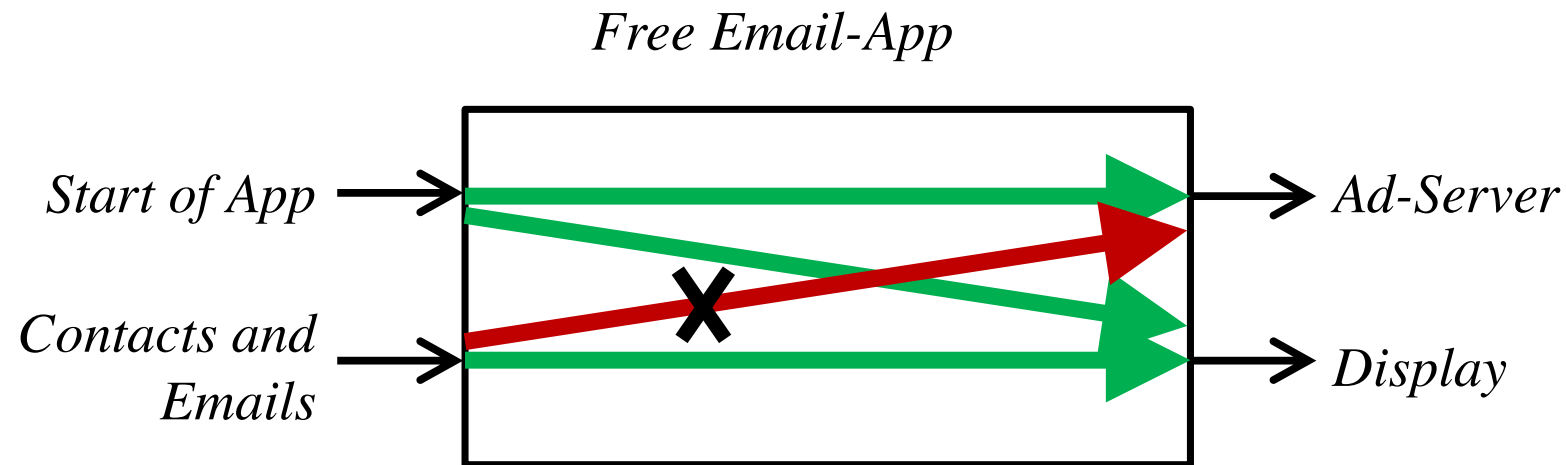
Program analysis:

data-flow analysis, abstract interpretation,
invariant generation, software model checking, ...

Information flow analysis:

see next slide

Information Flow: Example



Reference scenarios of SPP RS³:

- Certifying app store for Android
- E-Voting systems
- Software security for mobile devices

Non-Interference

For simplicity: transformational terminating programs only

Semantic setup:

Variables: $\text{Var} = \text{Low} \cup \text{High}$

States: $\Sigma = \{ \sigma \mid \sigma : \text{Var} \rightarrow \text{Val} \}$

Program semantics: $\llbracket \pi \rrbracket : \Sigma \rightarrow \Sigma$

Low-equivalence of states:

$$\sigma \sim_L \sigma' \iff \sigma|_{\text{Low}} = \sigma'|_{\text{Low}}$$

Program π is called *non-interferent* iff f.a. $\sigma, \sigma' \in \Sigma$:

$$\sigma \sim_L \sigma' \implies \llbracket \pi \rrbracket(\sigma) \sim_L \llbracket \pi \rrbracket(\sigma')$$

Possibilistic Non-Interference

Semantics of non-deterministic programs:

$$\llbracket \pi \rrbracket: \Sigma \rightarrow 2^\Sigma$$

Refinement:

$$\pi \sqsubseteq \pi' \iff \forall \sigma: \llbracket \pi \rrbracket(\sigma) \subseteq \llbracket \pi' \rrbracket(\sigma)$$

Program π is called *non-interferent* iff f.a. $\sigma, \sigma' \in \Sigma$:

$$\sigma \sim_L \sigma' \implies \forall \rho \in \llbracket \pi \rrbracket(\sigma) : \exists \rho' \in \llbracket \pi \rrbracket(\sigma') : \rho \sim_L \rho'$$

Refinement Paradox: Non-interference is not preserved by refinement.

Example: $l := ?$ is non-interferent, its refinement $l := h$ is not

Reason: Non-interference is a „hyper-property“

A Fundamental Problem

- Abstraction is inherent to program analysis
- However, as just observed (Refinement Paradox):
 Non-interference does not transfer from abstractions
- Consequence:
 Program analysis cannot be applied directly to non-interference

Program Dependence Graphs (PDGs)

- A structure known from program slicing
- Nodes correspond to statements and conditions;
we add artificial nodes for initial and final value of program variables
- Edges capture data dependences and control dependences
- PDGs can be applied for non-interference analysis

Analysis principle:

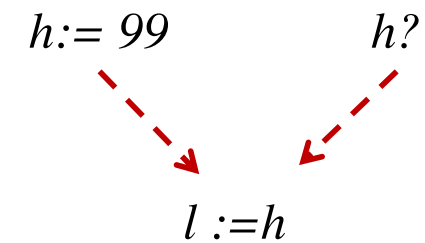
If there is no path in PDG from high input to low output
then the program is non-interferent

Direct and Indirect Flows

Direct flows:

$l := h$

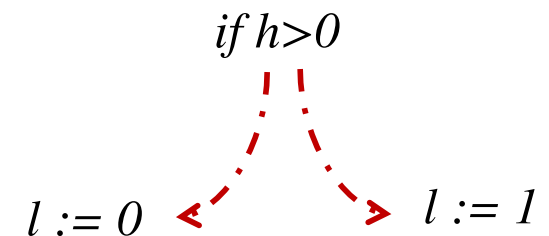
captured by **data dependence edges** in PDG



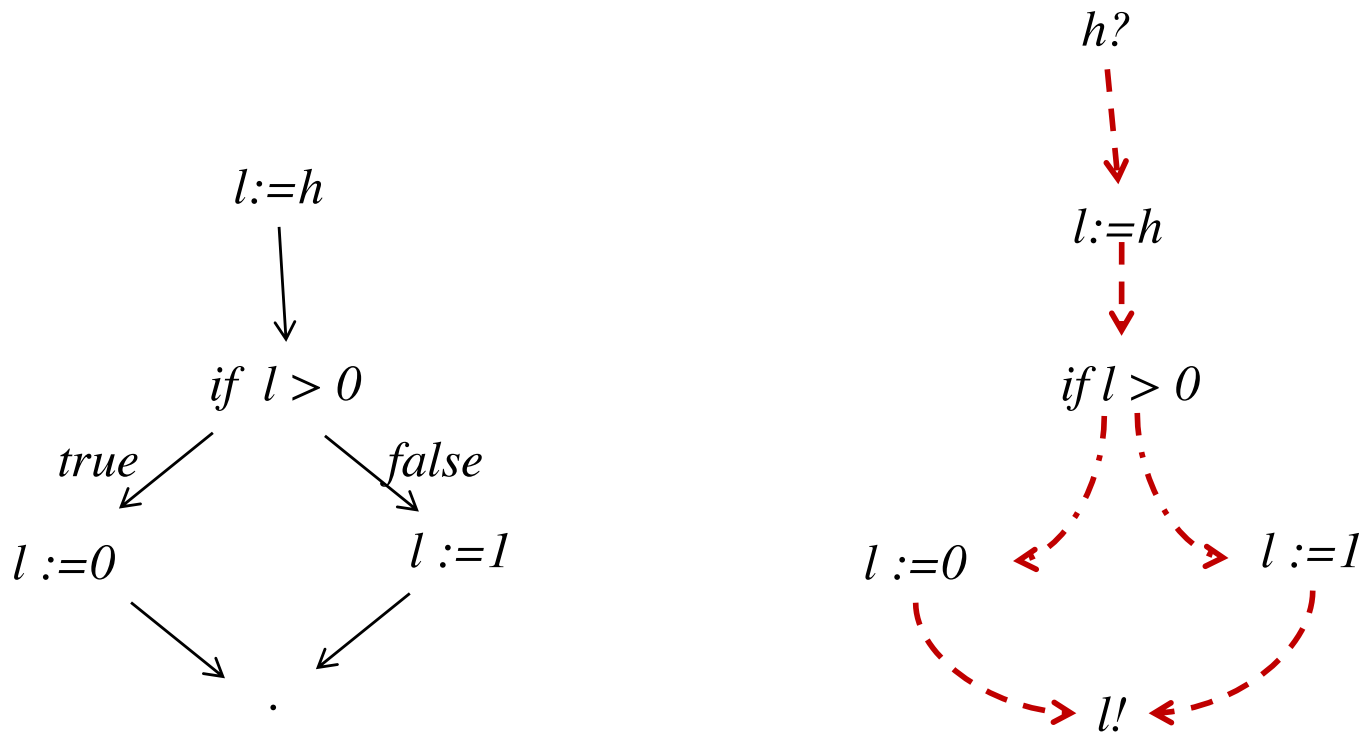
Indirect flows:

if $h > 0$ then $l := 0$ else $l := 1$

captured by **control dependence edges** in PDG

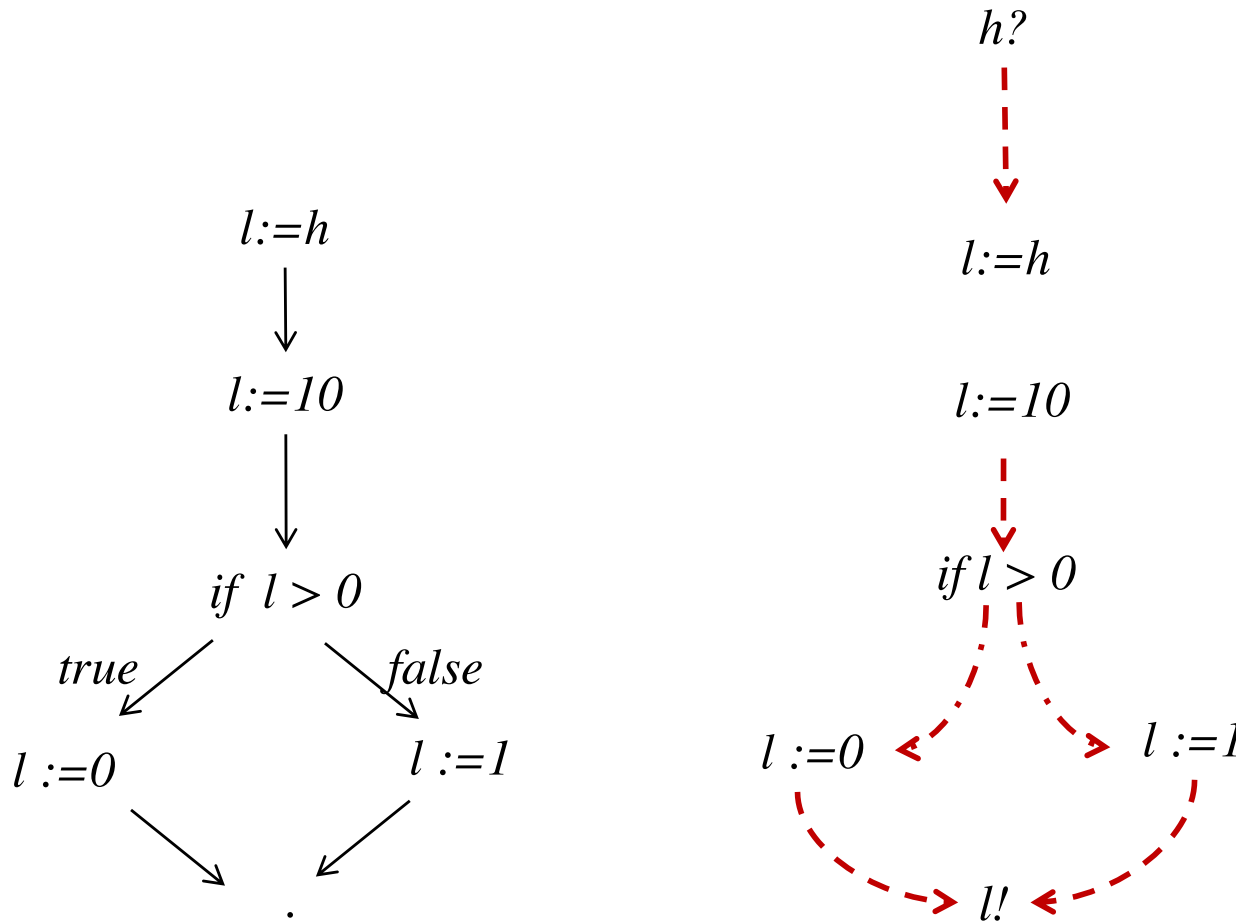


Example 1



There is a path from $h?$ to $l!$. Hence: Program may be interferent

Example 2



There is no path from $h?$ to $l!$. Hence: Program is non-interferent

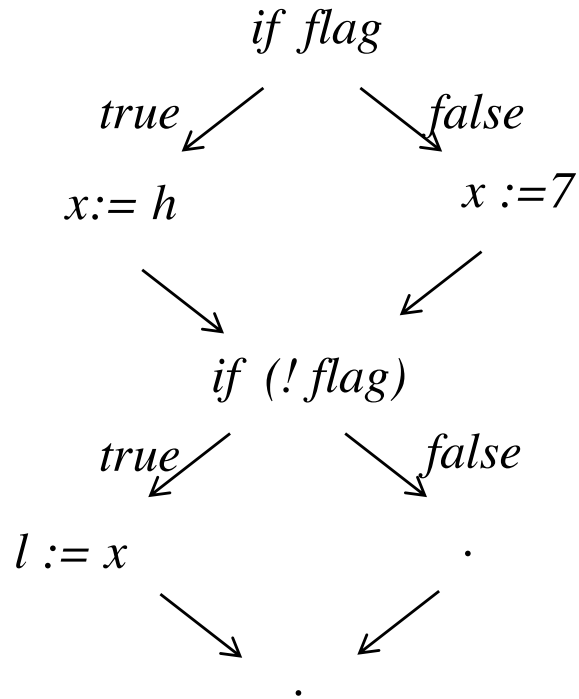
Path Conditions

Goal: Improve precision of PDG-based dependence analysis

Idea: For each path in the PDG indicating critical flow, read off a necessary condition for flow from the guards. If all these conditions are unsatisfiable, there is no flow.

Caveat: Requires SSA-form of programs

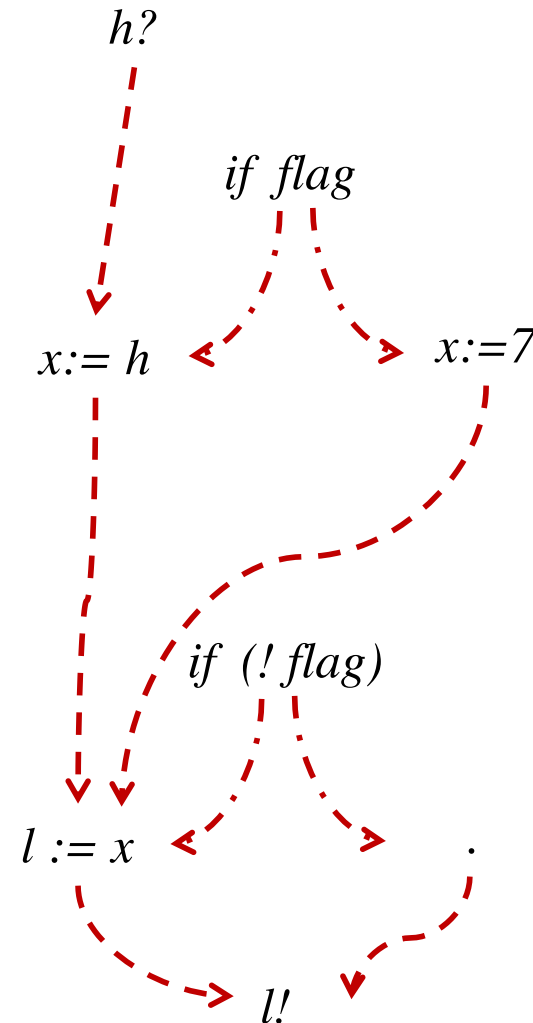
Path conditions improve precision of PDGs



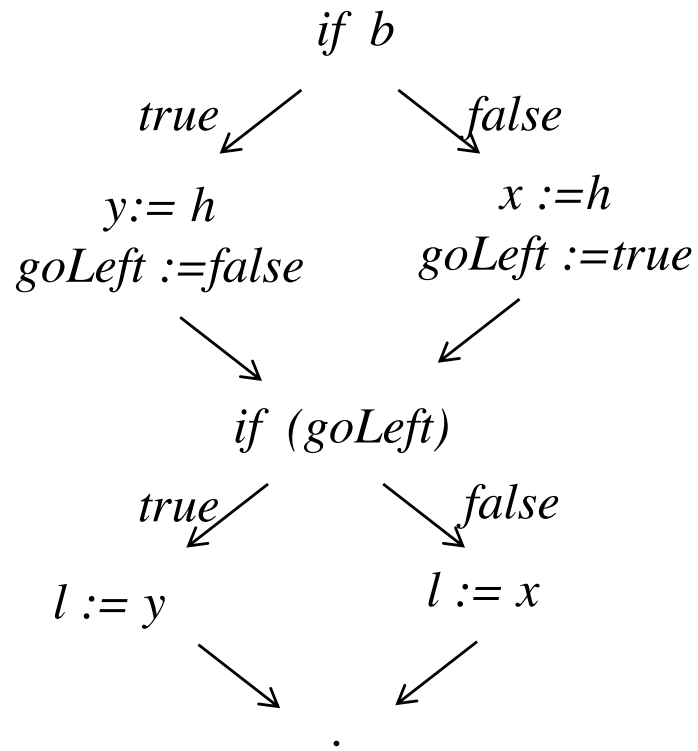
PDG alone: false alarm

+ path conditions: OK

$flag \wedge ! flag$

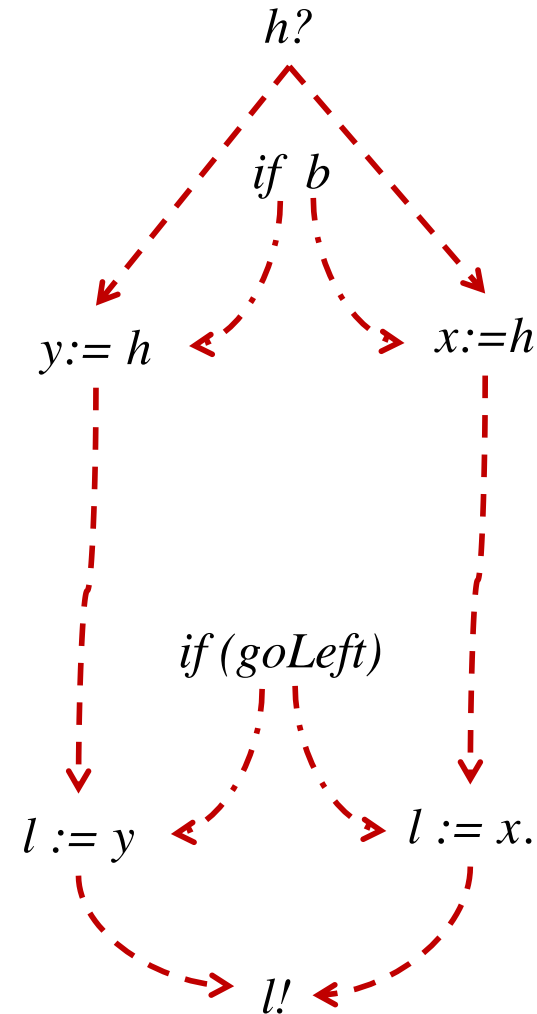


Further Improvements by Data Analysis Desirable



PDG + path conditions: false alarm

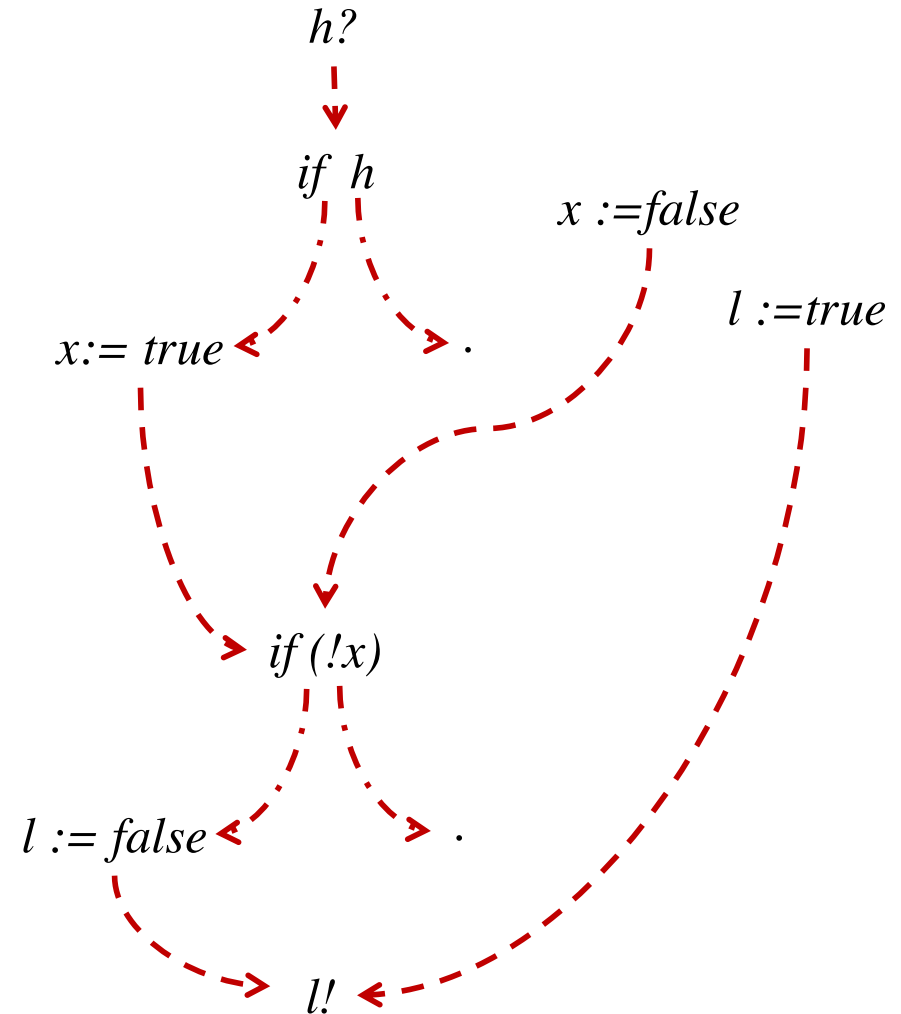
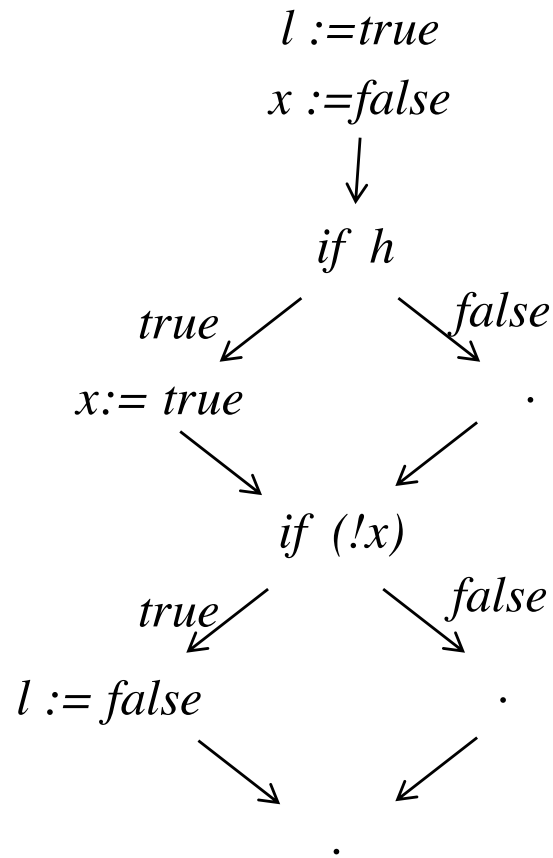
+ invariant: OK



For left path: $b \wedge goLeft \wedge goLeft = ! b$

For right path: $! b \wedge ! goLeft \wedge goLeft = ! b$

The Show Stopper



PDG + path conditions

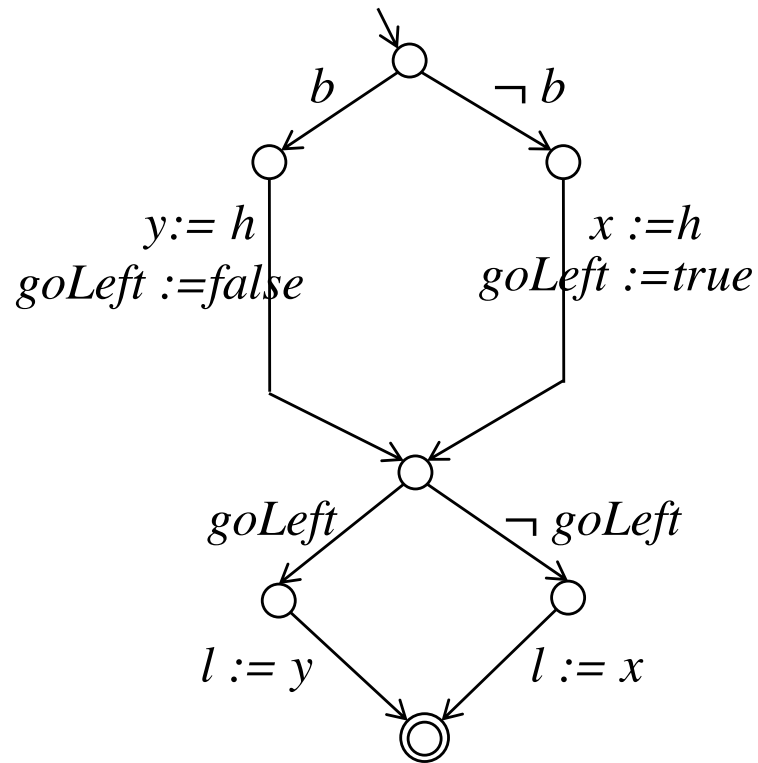
+ **invariant**: unsound

$$h \wedge !x \wedge x = h$$

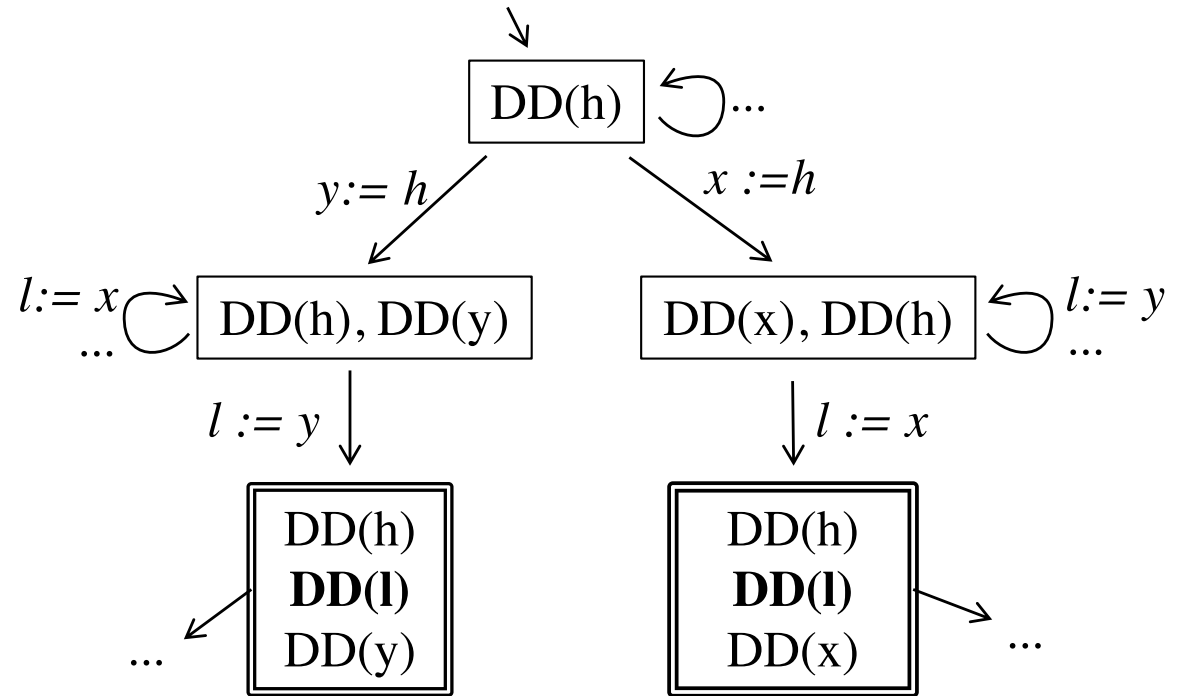
A Glimpse on Data Flow Slicing

- Guiding intuition: flow happens along PDG paths only
- Add new type of dependencies (data control dependencies) to avoid soundness problem
- Define a notion of critical executions based on data-, control-, and data-control-dependencies
- Set of critical executions is regular for a given program
- Prove: if program has no critical execution, then program is non-interferent (Isabelle!)
- Check absence of critical executions using data analyses (e.g. using CPAChecker [Beyer et al.]
- Note: Approach allows to check non-interference by safety analysis!

A Glimpse on Data Flow Slicing: Example

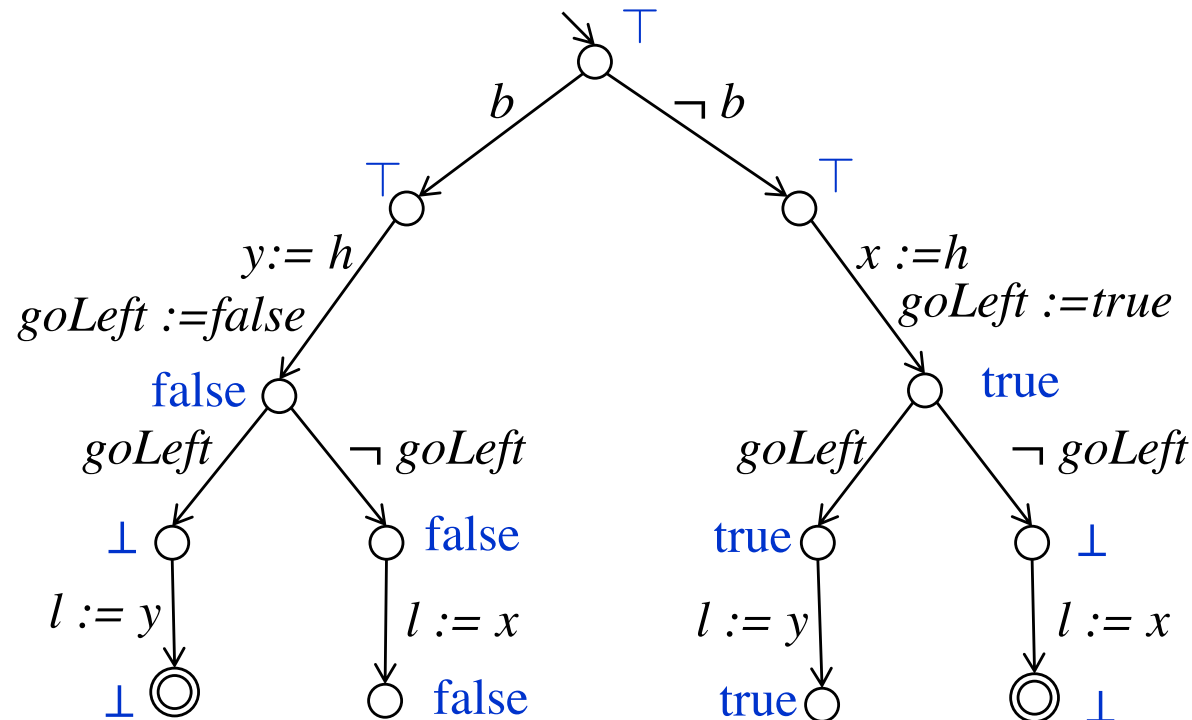


Program



Critical executions automaton

A Glimpse on Data Flow Slicing: Example



Product of program and automaton

Constant propagation on product proves absence of critical information flow

Discussion

Approach for non-interference analysis by classic program analysis

Alternative approaches:

- Self-composition
- Hyper-logics

Further work in our project:

- Use DPNs to help PDG-based non-interference analysis of parallel programs based on LSOD
- Use DPNs to help type-based non-interference analysis of parallel programs